Solving the ware eff. Case study.
Consider the ware eq. in 1 D.

$$
u_{t t}=c^{2} u_{x x}, \quad x \in\left[x_{L}, x_{R}\right], t>0
$$

Partial diff. ed. (PDE)

$$
u(x, 0)=g_{0}(x), u_{t}(x, 0)=g_{1}(x)
$$

Initial data.

$$
u\left(x_{L}, t\right)=b_{L}(t), u\left(x_{R}, t\right)=b_{R}(t)
$$

Boundary conditions.

